Group Member names _____

| C-Level (7 points each) | | | | |
|---|-------------------------------|--|--|--|
| G9-1 and 9-2 I can find the probability of an outcome | | | | |
| 1. Your friend tells you to pick a number from 6 to 20. List the sample space, find the total | | | | |
| number of outcomes, and then find the probability if a number is chosen at random. | | | | |
| a. Sample Space: | b. Total number of outcomes: | | | |
| | | | | |
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| | | | | |
| c. P(12) = | d. P(number < 17) = | | | |
| | | | | |
| | | | | |
| e. P(even) = | f. P(multiple of 4) = | | | |
| | | | | |
| | | | | |
| a. P(even and multiple of 4) = | h. P(even or multiple of 4) = | | | |
| 9 . (1 . 1 . | | | | |
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| | | | | |

2. In a standard deck of 52 cards, shown below, find the following probabilities if a card is chosen at random.

| Clubs | | * 5 3 * * 5 10 * * 10 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 | | |
|-------------------------|--------------------------------------|---|--|--|
| Diamonds | | | | |
| Hearts | 2 23 34 45 56 67 78 | 8 8 9 0 0 1 1 1 0 1 0 K 1 0 K | | |
| Spades | | | | |
| | | | | |
| a. P(Diamond) = | b. P(Queen) = | c. P(Diamond ∩ Queen) = | | |
| d. P(Diamond U Queen) = | e. P(Diamond U Queen) ^c = | f. P(not Diamond ∩ Queen) = | | |

| G9-3 I can use a Venn diagram and two-way table to find the probability. | | | | | |
|--|----------------------------|---------------|--------------|-----------------------------------|----------------|
| 3. In a random sample of 10,000 college students, a research company found that 35% ate | | | | | |
| breakfast in the cafeteria and 28% ate lunch in the cafeteria and 15% ate both breakfast and | | | | | |
| lunch in the cafeteria. Complete the two way table and Venn diagram | | | | | |
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| a D(brookfort II lunch) - | | nockfort) - | | Dibnookfoot | ∩ lunch)- |
| a. P(Dreak) as 1 0 lunch) - | D. P(DI | euklust) - | ٤. | P(Dreak)asi | i i iuncrij- |
| 69-4 I can use a tree diaaram a | nd area mode | 2 | | | |
| 4. There are two jars of jellybe | ans. Jar #1 | contains 60 | % vellow and | 40% red jellv | beans. Jar |
| #2 contains 30% vellow 50% re | d and 20% w | hite iellv he | ans You rai | ndomly choose | one jelly been |
| from each ion Create a tree di | | model | | idonity choose | one jeny bean |
| from each jar. Create a tree did | igram or area | i model. | | | |
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| | | | | | |
| a. P(2 yellows) = | b. P(2 reds |) = | C. | P(red and whi | te) = |
| a. P(2 yellows) = | b. P(2 reds |) = | C. | P(red and whi | te) = |
| a. P(2 yellows) = d. P(at least one yellow) = | b. P(2 reds e. P(no rec |) = s) | с. f. F | P(red and whi ' (no yellows) = | te) = |
| a. P(2 yellows) = d. P(at least one yellow) = | b. P(2 reds e. P(no rec |) = Is) | c. f. F | P(red and whi (no yellows) = | te) = |

G9-5 I can calculate conditional probabilities

5. You are in charge of choosing the theme for the junior/senior prom. You survey the juniors and seniors and record the results in a two-way frequency table.

| | Casino | Masquerade Ball | Arabian Nights | Total |
|---------|--------|-----------------|----------------|-------|
| Juniors | 105 | 201 | 51 | 357 |
| Seniors | 185 | 151 | 56 | 392 |
| Total | 290 | 352 | 107 | 749 |

| a. P(Casino Senior)= | b. P(Junior Masquerade Ball) = |
|-------------------------------|--------------------------------|
| c. P(Arabian Nights Junior) = | d. P(Junior Arabian Nights) = |
| B-Level (2 p | points each) |

| | | | | D-Leve | " (<u> </u> | |
|----|--------------|-------------|------------|--------|--------------|--|
| 6. | Two standard | (six-sided) |) dice are | being | rolled. | |

Let event A={sum greater than 5} and

event B={the sum is a multiple of 3}.

| P(A)= | P(B)= |
|----------------|-------------------|
| P(A ∩ B)= | P(A ∪ B)= |
| P(A ∩ not B) = | P(not A U not B)= |



7. In a random sample of 1,000 high school students, a research company found that 28% were involved in a sport and 43% were getting A's in at least half of their classes. When they reported their findings, the research company indicated that 59% of high school students were either involved in sports or were getting A's in at least half of their classes. Create a Venn diagram.

 $P(sports \cap A's) =$

 $P(sports \cup A's) =$

 $P(sports \cup A's)^c =$



8. At Gray's Warehouse, 60% of the employees work the day shift. On any given day, about 2% of the day shift employees and 3% of the night employees will miss work for one reason or another.

P(day shift| missed work) =

| 9. Eddie flips a penny, nickel, and a dime. | Make an area model or tree diagram | |
|---|---|--|
| | | |
| a. P(Three tails)= | b. P(At least two tails)= | |
| c. P(Exactly two tails) | d. P(At least one head)= | |
| 10. Using the table in question #5 above. independent or associated? Justify your a | Are the events {Senior} and {Arabian Nights} inswer. | |
| A. | -level (5 points) | |
| 11. If Letitia studies for her math test tonight, she has an 80% chance of getting an A. If she does not study, she only has a 10% chance. Whether she can study or not depends on whether she has to work at her parents' store. Her father said there is a 50% chance that Letitia would have to work. If she has to work she cannot study. a. Draw a diagram for the situation. | | |

b. Find the probability that Letitia gets an A.